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Balanced solution $C > a$. The hill will \rightarrow #9=3tive, and hence the solution is more for $C = 0$ #hill, and hence the solution is reduced. All solutions differ from www.ziie.ir 2 ——————CHAPTER 1. a #a b 6 \rightarrow \rightarrow . The whole solution differs from the balance solution $C > a$ #a b 8. For the solution to approach the balanced solution, we need to have $C > a$ # $\$b$ C \rightarrow # $\$C$ \rightarrow C \rightarrow # w w for and for For \rightarrow \$Cw different solutions, it must be $> C > a$ b function b for and functions for The easiest difference \rightarrow # C \rightarrow #decreasingที่โซลูชันเป็นไปตามเกณฑ์เหล่านี้คือ $C > a$ # w 10 \rightarrow . The desired rate is satisfied by the difference of \rightarrow # C \rightarrow equation \rightarrow Please note that for and for the solution, both balance is and $C > a$ \rightarrow $C > a$ & $C > a$ depends on the direction field for; For , are greater hill & c & c & b; \rightarrow ! \rightarrow C \rightarrow & b is negative between and hence the solution with default and all the drops further! & www.ziie.ir 3. ——————CHAPTER 1. \rightarrow C > a 14. $C > a$ b and .s) depending on the direction field for # C \rightarrow #a ค่า \rightarrow ; \rightarrow C \rightarrow #a B is positive during and hence the solution has a default and all the increases further! Therefore, the \rightarrow solution has a default value than the solution of less at $C > a$ 16. The drug is administered into the body at a rate $>$ 2 < = & Constant b 71 \rightarrow P the rate at which the bloodstream drugs are obtained by the leaves so! \rightarrow b accumulation of the drug explained by different equations Q. > After discussion in the text, the different equations are $b +$ www.ziie.ir 4 ——————CHAPTER 1 \rightarrow . \rightarrow After for a long time, so the object achieved terminal speed by @.> The desired relationship is #_ค่าสัมประสิทธิ์การลาก b. 19 All solutions seem to be approaching linear asymptote it's easy to $aB^2 = 69 / ; ? 26 > 9$ Check as c solution > \rightarrow a b 20.

www.ziie.ir 5. —————— CHAPTER 1. All solutions appear from the sinus lloyd difference C>; $\alpha \square = 38^\circ$; $\text{bill } N \square b\$ # \% E$, which is the solution corresponding to the default C! $\alpha \square & \beta$; $a b 25$ all solutions seem to converge with, firstly the change rate
 www.ziie.ir is small. Page 6 field direction is quite complex. However, the collection of sloped field points is obtained by the implied equation, the graph of the Cerro C $\square 'C$ $\alpha \# > ; P\$#$ these points are shown below: of these curves are at , . . it is based on that for solving the problem with c α interception! Default È All solutions increase without boundaries For solutions with a default value, C $\square 'E$ in range, the hill remains , and C $\square ' \square C \square 'E$ È and negative, so these solutions are reduced without boundaries. Solution with default conditions during ' $\square ' \square C \square ' !$ Increase in the first place. When the solution reaches the key value stipulated by the equation, the slope becomes negative and negative. These things $\square 'C$ $\alpha \# > ; \$ #$ continue the solution, eventually falling without boundaries. www.ziie.ir 7. —————— CHAPTER 1. $C & \beta$; $C \alpha . > ; P \square \text{bill } \square \square . \alpha - / C ! \alpha C \square > ;$. Therefore, the solution is - $\alpha & \beta$; $C C > ; \alpha & \beta$; $\text{bill } C \square & \beta$; $/ P \square !$ All solutions seem to converge with a balanced solution C>; $\alpha & \beta$; $a b 1$ write a new distinct equation asa b- P . C! $\square \# C \alpha . > ; P$ combining both sides of this equation to yield results as or $\square 68!$ $\square \# C \alpha > ; \text{bill } - k$ equivalent > $\square \#$; The use of the default condition results in the definition of ab at a constant, so \square the solution is - $\alpha & \beta$; $C \square > ; \alpha & \beta$; $\text{bill } C \square & \beta$; $/ P !$ All solutions seem to converge with a balanced solution, but at a faster C&beta; rate in the problem 1a P 2 different equations can be rewritten asa b + P www.ziie.ir 8. —————— CHAPTER 1. $\square & \beta$; $\alpha . > ; P$ การรวมหั้งสองด้านของสมการนี้ให้ผลลัพธ์เป็น หรือเที่ยนเท่ากับ $68 C \square & \beta$; $\alpha > ; \text{bill } - k C \square & \beta$; $\alpha - / C ! \alpha C \square > ;$ การใช้เงื่อนไขเริ่มต้นผลในข้อกำหนดของabที่ ค่าคงที่เป็น ดังนั้นการแก้ปัญหาคือ - $\alpha C \square & \beta$; $\alpha > ; \text{bill } C \square & \beta$; $/ P ! b \beta > ;$ โซลูชันทั้งหมดเหมือนจะแตกต่างจากสาระสำคัญสมดุล C >; $\alpha & \beta$; $b 2$ เนื่องจากส่วนที่แตกต่างใหม่ asa b, P, C # C \square

converge with function c ; $b = 9a + \frac{P}{w}$. Eventually, all hills will become positive, so all solutions will increase without scope. The aggregate factor is that the differential equation can be written as, that is, the join $C \ln(b) - C \ln(a)$. For almost all solutions there are negative hills, and hence the solution is divided on both sides of the equation. The combination factor is that the differential equation can be $\frac{b}{a} \cdot dt$. Write as, that is, the integration leads to general $C \ln(b) - C \ln(a) = -\int \frac{dt}{b}$. Implied by the field direction. For specific solution cases is $a = b$, which apparently approaches zero. The solution seems to vibrate.

CHAPTER 2. The solution is since on all periods $B \in [0, T]$ of the solution definition achieved the global minimum at $B = 0$. On both sides of the equation, we have been removing 68 $C \in [0, 68]$ %œ %> $\frac{dC}{dt} = C(1 - C)$. Setting, we get that according to the default conditions, The solution may be listed as note that for all $C \in [0, 68]$ %œ %> $\frac{dC}{dt} \leq 0$. This means that C is a decreasing function of t . Therefore, the solution is unique and stable.

we found that and hence $\sigma B \int 2 C \sigma R 2 C \sigma! 2 C \sigma !\< ; \< C C w b a b$ Setting is acceptable, so \int the solution is defined. 6. Write a given equation. Now $b + B \square, C . b \int, b \square - c, C Q B \beta C \sigma \sigma + B \square, C$ and $. \square - C Q \bar{A} Ra b C B 8$. And please note that , and $Q B \beta C \sigma / = 38 C \int \$C R B \beta \sigma \sigma \sigma + B \square, C$ and $. \square - C Q \bar{A} Ra b C B 8$, so the equations are not exactly different. Since given $Q B \beta C \sigma C \hat{B} \int ' B R B B \sigma 68 B \square \# Q \sigma R \sigma \hat{B} b b$ Equation C B Absolute Integration with , while holding fixed, resulting in $R C B \< ; b b \sigma C 68 B \square \# C \int 2 B \int B \sigma C \hat{B} \int 2 B$ Differentiating about , .< ; B setting we found and hence $. \$Bw \# b$ solution b is implied as $\$B \int \# C 68 B \square \# C \sigma - 11$ and note that and hence $B \beta C \sigma B 68 C \int BC B b \sigma C 68 B \int BC Q \bar{A} B b B$ different equations are not exactly different 13. $Q B \beta C \sigma \# B \square C R B \beta \sigma \sigma \# C \square B Q \sigma R \sigma \square a b$ band. Of course, integration with , while holding fixed, output $Q B C \< ; b B \beta C \sigma \sigma B \square BC \int 2 C \sigma \# w b$ now . $\sigma C B b \sigma \sigma B \square BC \int Ca b b \# \<$ implied as $B \square BC \int C \sigma \sigma \# \#$ trigger the default solution specific solution is a b b $\square BC \int C \sigma (\# \#$ The clear pattern of the solution is $C B \sigma B \int \# \#$ $\square \$B \int a b' \hat{E} \#$ so the solution is valid for as long as $\$B \hat{Y} \#$ $\int \# 16 Q B \beta C \sigma C / \int B R B B \beta C \sigma \# BC \# BC \# BC \int \# BC$, Please also note that the C equation and the given equation is $\int / \int B \# BC \# BC \# BC / \int B \# BC \# BC$, of course, as long as the σ integration www.ziie.ir www.ziie.ir.