In-place algorithm for sorting

The idea of an algorithm in place is not unique to sorting, but sorting is probably the most important case, or at least the most well-known. The idea is about space efficiency - A sorting algorithm in which the sorted elements occupy the same storage as the originals. These algorithms can use o(n) extra memory for accounting, but at most a constant number of items are kept in the auxiliary memory at all times. This was particularly relevant for some devices (do not have enough space for e.g. Integrated system like PDA, cell phone, etc.) The idea is to produce an output in the same memory space that contains the input by successively transforming this data (mainly by replacing) until the output is produced. This avoids the need to use storage twice - an area for entry and an area of equal size for output. A/c on the Wikipedia page on the algorithms in place currently claims that an algorithm in place can only use a constant amount - O(1) - of additional space. In computer science, an algorithm in place (or Latin in situ) is an algorithm that transforms inputs using a data structure with a small, constant amount of additional storage space. However, all algorithms require some additional storage for working variables. Some sorting algorithms in place: Bubble Type Insertion tri Type of fusion Tri (modification in implementation) Quick sorting heapsort references: In place sort - Codeproject algorithm In place - Wing-Kai Hon In-place redirects here. To run the file systems in place, see Run in place. This article needs additional quotes for verification. Please help improve this article by adding quotes to reliable sources. Unsurned material may be challenged and removed. Find sources: Algorithm in place - news Newspapers Books scholar JSTOR (January 2015) (Learn how and when to delete this model message) In computing, an algorithm in place is an algorithm that transforms input by using no auxiliary data structure. However, a small amount of additional storage space is allowed for auxiliary variables. The input is usually crushed by the output as the algorithm runs. The algorithm in place only updates the input sequence by replacing or exchanging items. An algorithm that is not in place is sometimes called non-in-place or outside. In place can have slightly different meanings. In its strictest form, the algorithm can only have a constant amount of extra space, counting everything, including function and pointers. However, this form is very limited because simply having an index on a table n length requires O (log n) bits. More generally, in place means that the algorithm does not use extra space to manipulate the input, but may require a small but non-constant extra space for its operation. Usually, this space is O (log n), although sometimes anything in O(n) is allowed. Note that the complexity of space space varied choices in whether or not to count index lengths as part of the space used. Often, the complexity of the space is given in terms of the number of clues or pointers needed, ignoring their length. In this article, we refer to the total complexity of space (DSPACE), counting the pointer lengths. Therefore, the space requirements here have an additional n log factor compared to an analysis that ignores the length of the clues and pointers. An algorithm may or may not count the output as part of its use of space. Because the algorithms in place usually write their input with the output, no additional space is required. When writing the output to write only the memory or a stream, it may be more appropriate to consider only the algorithm's workspace. In theory, applications such as log space reductions, it is more typical to always ignore the output space (in these cases, it is more essential that the output is written only). Examples Given a table has n elements, suppose we want a table that holds the same elements in reverse order and dispose of the original. A seemingly simple way to do this is to create a new table of equal size, fill it with copies of an appropriate order, then delete a. reverse function (a[0.n - 1]) allocate b[0..n - 1] for i from 0 to n - 1 b [n - 1 -i]: a[i] return b Unfortunately, this requires O (n) extra space to have tables a and b simultaneously. In addition, the allocation and allocation of operations are often slow operations. Since we no longer need one, we can instead crush it with its own reversal using this algorithm in place that will only need a constant number (2) of intities for the auxiliary variables i and tmp, no matter how big the array is. function reverse_in_place (a[0.n-1]) for i from 0 to floor ((n-2)/2) tmp: a[i] a[i]: a[n '1'n' a[n ' 1 -i]: tmp As another example, many sorting algorithms rearrange the tables in order sorted on the spot, including: sorting bubbles, sorting combs, sorting selection, insert sorting, tasort and shell sorting. These algorithms require only a few pointers, so their space complexity is O (log n). Quicksort works up on the data to be sorted. However, quicksort requires O (log n) stack space pointers to keep track of sub-arrays in its division and conquest strategy. Therefore, quicksort needs O (log2 n) extra space. Although this non-constant space technically gets quicksort out of the existing category, quicksort and other algorithms only need additional O (log n) pointers. generally considered to be algorithms in place. Most selection algorithms are also in place, although some significantly reorganize the entry table into the process of finding the final result of constant size. Some text manipulation algorithms such as trim and vice versa can be set up. In computational complexity In the theory of computational complexity, the strict definition of the algorithms in place includes algorithms with O(1) space complexity, the DSPACE class(1). This class is very limited; it is equal to regular languages. [2] In fact, it does not even include any of the examples listed above. We generally consider L algorithms, the problem class requiring O (log n) extra space, to be in place. This class is more in line with the practical definition, as it allows n size numbers as pointers or clues. This expanded definition still excludes quicksort, however, because of its recursive calls. Identifying the algorithms in place with L has interesting implications; for example, this means that there is a (quite complex) algorithm in place to determine if there is a path between two nodes in an undirected graph[3], a problem that requires additional space using typical algorithms such as depth search first (one bit visited for each node). This in turn gives algorithms in place for problems such as determining whether a graph is bipartisan or testing whether two graphics have the same number of connected components. See SL for more information. Role of Chance In many cases, the space requirements of an algorithm can be significantly reduced using a randomized algorithm. For example, let's say we want to know if two vertices in a n vertices graph are in the same connected component of the graph. There is no simple, deterministic and up-and-coming algorithm known to determine this, but if we just start at a summit and perform a random walk of about 20n3 steps, the chance that we will fall on the other top provided it is in the same component is very high. Similarly, there are simple randomized algorithms in place for primary tests such as the Miller-Rabin primality test, and there are also simple randomized factoring algorithms in place such as Pollard's rho algorithm. See RL and BPL to learn more about this phenomenon. In functional programming, functional programming languages often discourage or do not support the explicit algorithms in place that write the data, since this is a type of side effect; instead, they only allow new data to be built. However, good functional language compilers will often recognize when an object very similar to an existing object is created and then the old one is discarded, and will optimize this in a simple under the hood mutation. Note that it is normally possible to carefully build algorithms in place that do not change the data (unless the data is no longer used), but this is rarely done in practice. See structures purely functional. See also Table of sorting algorithms in place and not in place References - The bit space requirement of a pointer is O (log n), but the size of the pointer can be considered a constant in most sorting applications. Maciej Li-kiewicz and Reischuk. The world of complexity below logarithmic space. Structure in Complexity Theory Conference, pp. pp. 1994. Online: p. 3, Theorème 2. Reingold, Omer (2008), undirected connectivity in the newspaper space, CMA Journal, 55 (4): 1-24, doi:10.1145/1391289.1391291, MR 2445014, ECCC TR04-094 Recovered from A sorting algorithm would be in place if it requires very little additional space outside the original table containing items that need to be sorted. Normally, very little is taken to mean that for sorting items n, O (logn) extra space is needed. This is reasonable because in a purely mathematical analysis of algorithms, any sorting algorithm that works on an adjoining table requires O (logn) extra space, since that is the number of bites needed to represent an index in the table. Normally, this is ignored as in most algorithms, in wholes are treated as a type of data requiring constant space and constant time for basic operations. An exception are the theoretical number algorithms often encountered in cryptography (. Of course, the effectiveness of any algorithm will depend on how the data is stored; usually, the basic discussion of sorting algorithms focuses on sorting items stored in a contiguous table (which has constant time access and exchange operations, but takes a long time to make shifts). In this context, Heapsort is an algorithm of sorting in place, because it requires a constant extra space. Quicksort is also considered up, although it requires an additional amount of logarithmic space in the size of the table. Most Quicksort implementations are recursive, and each recursive call must store some local variables on the stack; the depth of recurrence is usually O (logn), but can be O(n) in degenerate cases. If you try to convert Quicksort into a non-recursive algorithm, you will find that it is necessary to store some intermeditative indexes on a stack, which usually grows to the size O (logn) but can grow to size O(n). Mergesort is an O(nlogn) sorting algorithm that is not in place when it comes to tables. On the other hand, if you sort the linked lists, the search for a general item per index requires O steps, so That Quicksort and Heapsort need to be radically modified to work even in O (n2); it is not a natural context to use these algorithms. Mergesort, on the other hand, retains its complexity of O time (nlogn) and requires only O (logn) extra space. Sorting on site often useful when it comes to really huge datasets, where o(n) extra space is really hard to work with. The sorting algorithms in place may or may not have a better location of reference than other sorting algorithms. Really huge data sets are usually stored on media where random access to data is very expensive, but where the extra storage space is is low-cost (such as discs) in these cases, the question of whether an algorithm is in place is less relevant. In fact, even when it comes to data stored as Mergesort tables is much more efficient for disk-based sorting than other algorithms because of its better location of reference. It should be emphasized in any analysis of standard sorting algorithms that they are based on a hypothesis that is almost never true: they assume that the only possible operation on the keys is the comparison. Sorting methods taking advantage of the key structure (say, these are strings) can be much faster both asyptotically and in practice; they are usually not in place, but the extra space is often worth the benefit of time. Updated on Saturday, February 10, 2018 at 12:38 p.m. - Updated on Saturday, February 10, 2018 at 12:38 p.m.

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